

AMS 131  
21 Aug 19

this course, correlation,  
next time: conditional  
expectation, regression,  
utility

today: extra  
notes pp. 210 →

①

THT 2 due Fri night;  
quiz 7 due Sat night  
selected for

$X$  = # Latinx people ~~in~~ grand jury duty  
if  $T_1$  true

$T_1$ : no discrimination

$X \sim \text{Binomial}(n, 0.791)$   
220

$n = 220$

pop. % of Latinx =  
79.1%

actually  $X = 100$

$P(X \leq 100 | T_1)$   
 $= 10^{-27}$

freq.

$\therefore T_1$  almost certainly wrong

Bayes  $P(T_1 | X = 100)$

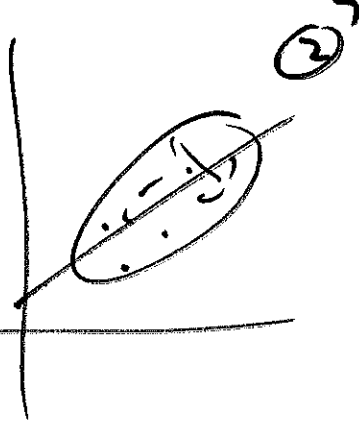
Extra notes pp. 281 →

$E(cX) = c \cdot E(X)$   
 $E(X+c) = c + E(X)$

$V(X+c) = V(X)$   
 $V(cX) = c^2 V(X)$

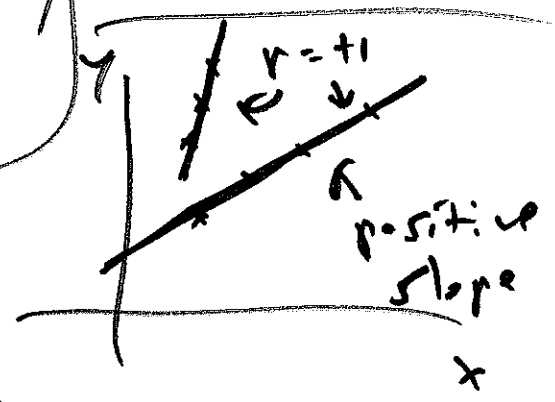
$$C(\bar{x} + c, \bar{y}) = C(\bar{x}, \bar{y})$$

$$C(c \bar{x}, \bar{y}) = c C(\bar{x}, \bar{y})$$



$$r = \frac{1}{h} \sum_{i=1}^n \left( \frac{x_i - \bar{x}}{s_x} \right) \left( \frac{y_i - \bar{y}}{s_y} \right)$$

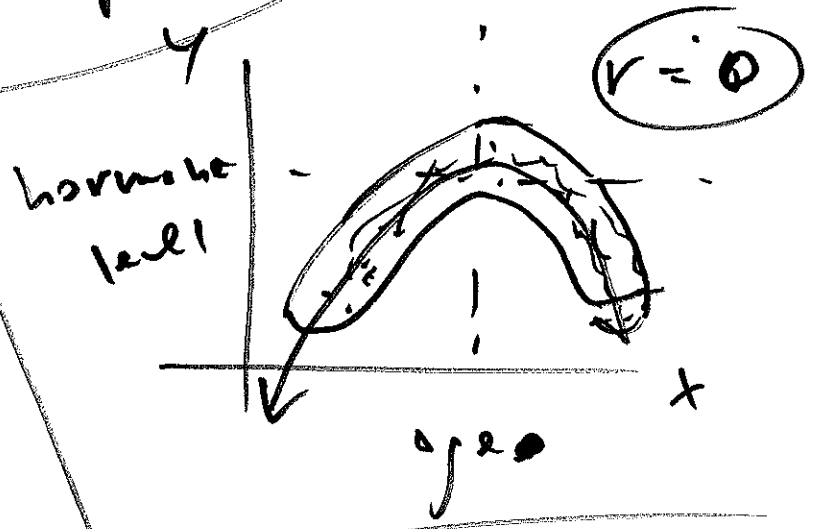
$$s_x = \sqrt{\frac{1}{n} \sum_{i=1}^n (x_i - \bar{x})^2}$$



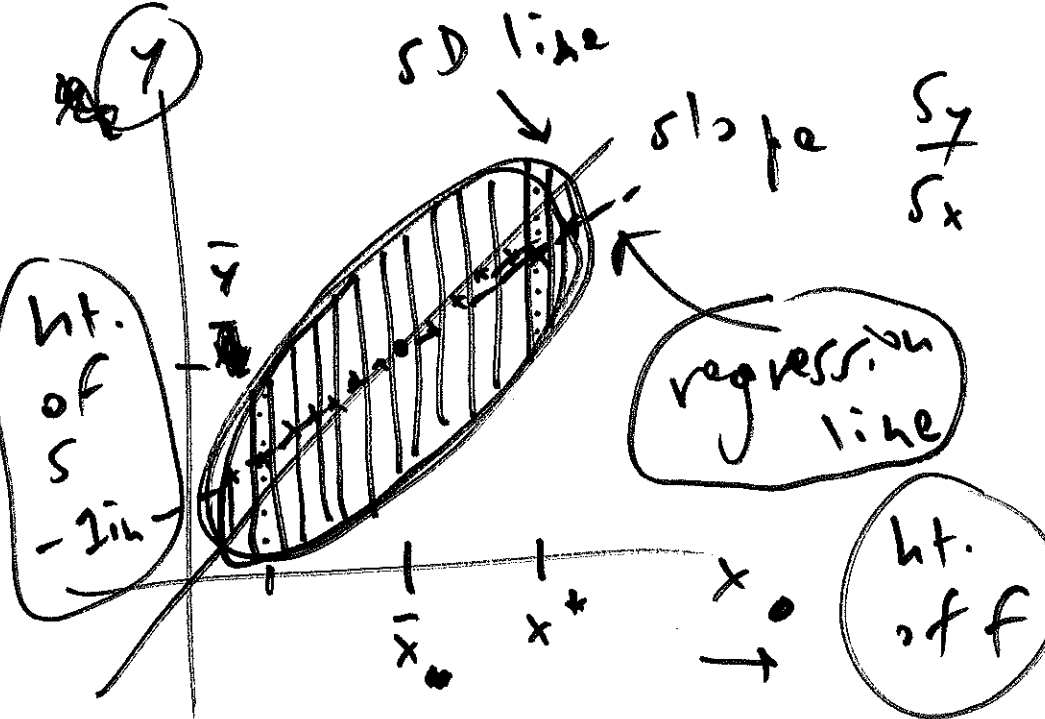
$-1 \leq r \leq +1$  ← perfect linearity

with positive slope

(R<sup>2</sup>) can be fooled by outliers and/or nonlinearity

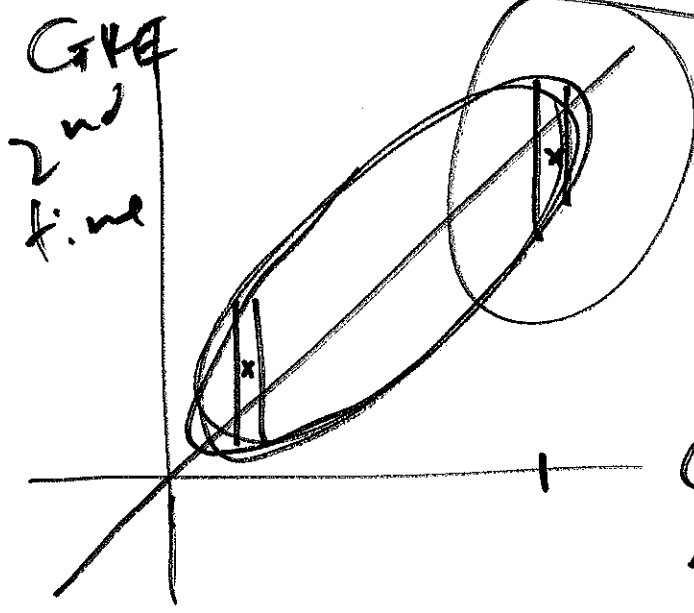
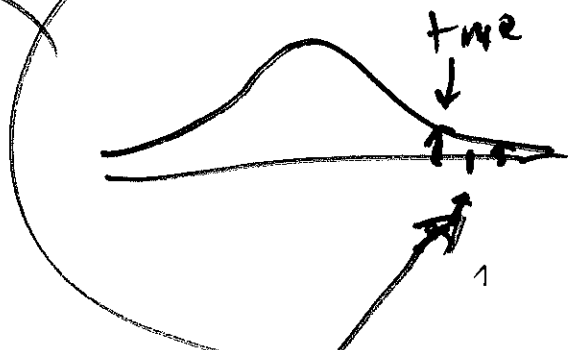


(10.04)

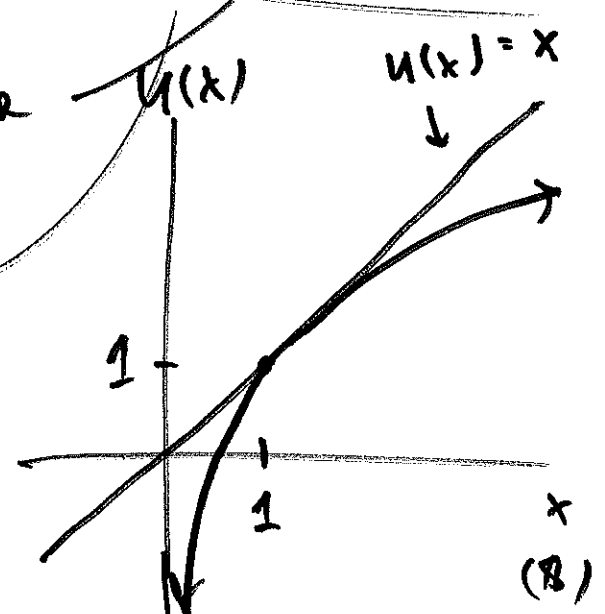


$E(Z | X = x)$   
 = approx.  
 linear in  $x$

regression effect  
 (regression to the mean)



GRE  
 1st time



$(0.57)$   
 action  
 $U(a, \theta)$

$u(x) = 1 + \log(x)$   
 unknown benefit

cost  
 cost-benefit analysis

$$U(a, \theta) = g(B(a, \theta), C(a, \theta))$$